Modeling the Positron Excess: Pulsars, Anisotropies, and ACTs







Tim Linden UC - Santa Cruz with Stefano Profumo

UC, Santa Cruz - CosmoClub

Cosmic-Ray Physics

 Cosmic-Ray Abundances are among the most indirect handles on cosmicray physics (they isotropize quickly in the interstellar medium - we don't know where they come from)

- However their fluxes (and especially the ratio of fluxes from different cosmic-ray species tell us both about their injection, and about how charged particles diffuse throughout the galaxy)
- Example Boron is not produced in Supernovae, but is instead a byproduct of Carbon spallation (carbon atoms hitting gas in the ISM)

 Tells us how long a given carbon atom has propagated through ISM



Why is the Positron Fraction Interesting?

 Astrophysical Shocks (1st Order Fermi Acceleration) primarily accelerate matter, and not antimatter

- Some secondary production of anti-matter
 - e.g. $p + p -> e^+ + e^- + jets$
- Ratio of antimatter secondaries to primary particles should fall at higher energies





Definition of Positron Fraction

$$\phi_{e^+}$$

 ϕ_{e^+} ϕ_{e^-}

 A Positron fraction of 0 would indicate that all leptons are made through first order Fermi Accerleration of matter (e.g. in supernova remnants)

A Positron fraction of 0.5 would indicate equipartition injection of matter and anti-matter (e.g. by dark matter)

• Any positron fraction greater than 0.5 would signal something truly odd

A Rising Positron Fraction in PAMELA?



PAMELA satellite (2006 - Present) has observed cosmic-rays, using a magnetic field to differentiate between particles and anti-particles



Found a surprising increase in the positron fraction above 10 GeV

The Fermi e⁺e⁻ Spectrum





- The Fermi-LAT telescope can also detect cosmic-ray electrons, which produce showers equivalent to γ-rays and also produce a signal while moving through the anti-coincidence detector
- The Fermi-LAT found a hardening of the primary electron spectrum in the energy range of 20-1000 GeV, compared to conventional diffusion models

Fermi-LAT Positron Fraction



• While the Fermi-LAT has no magnetic field, the Earth's magnetic field can create "zones of exclusion" where either positrons or electrons are prohibited from hitting the instrument

 Using these regions, the positron fraction was independently calculated, in good agreement with the PAMELA data



The Alpha Magnetic Spectrometer (AMS-02)



 Charged particle detector (with magnetic field), placed on board the International Space Station

Much large effective area than PAMELA, and better magnetics allow superior discrimination

AMS-02 Measurement of the Positron Excess



 Three independent experiments verify the existence of a rising positron spectra at energies between 10-300 GeV

 This is impossible to replicate with Fermi acceleration and diffusion of cosmic-ray leptons

• What models can produce a rising positron spectrum?

- Many many models (> 800 papers)
- A few standard features:
 - High Mass (~300 GeV 10 TeV)
 - Large Cross-section (100-1000 above thermal cross-section)



- Many many models (> 800 papers)
- A few standard features:
 - Leptonic Final States (Strong constraints on the antiproton/proton ratio)



New Restrictions from AMS-02 Data



New Restrictions from AMS-02 Data



New Restrictions from AMS-02 Data





 However, many of these exclusions can be fixed with careful choices of diffusion parameters, and a new spectral break in the primary electron spectrum

Limits from Gamma-Ray Studies

• Much stronger constraints can be placed on certain pathways, using limits from γ -ray observations



 Note: These limits can be avoided in many scenarios (e.g. annihilation through a light mediator into electrons)

Dark Matter Explanations for the positron excess are still possible (and interesting!)

If you make a stronger constraint, the world gives you a more creative theorist

Pulsar Models of the Positron Excess

 Pulsars are a guaranteed source of primary positrons in the galaxy

 Stefano Profumo- "Occam's Razor implies that pulsar explanations should be considered first."



Galactic Pulsar Models



 A galactic population of pulsars can also fit the positron excess, given a birth-rate of a few pulsars/century

Local Pulsar Models





 A number of nearby pulsars are likely candidates (including Geminga, B0355+54, Monogem, Cynus I, Vela)

• Also, confirmation of radio-quiet, gamma-ray pulsars!

Pulsars Remain Good fits to AMS-02



 Models of the Monogem and Geminga Pulsars continue to fit the data extremely well

 This certainly provides the simplest model which is consistent with all current data

e⁺e⁻ Production from Pulsars

 $Q(\vec{r}, t, E) = Q(E))\delta^3(\vec{r})\delta(t)$ $Q(E) = Q_0 E^{-\gamma} \exp\left(E/E_{\rm cut}\right)$ $\int_0 Q(E)EdE = \eta W_0$

- We assume a "burst-like" injection of electrons, near the time the pulsar was formed
- The electron spectrum takes the form of a power-law, with an exponential cutoff
- The total energy is given by ηW_0 , which is the spin-down energy multiplied by an efficiency for electron/positron creation

The Geminga and Monogem Pulsars

• Values for this study:

- Geminga age is set to 3.42×10^5 yr, Monogem to 1.11×10^5 yr
- Geminga distance set to 0.15 kpc, Monogem to 0.29 kpc
- We find the best fitting $\Upsilon = 1.9$ for Geminga and $\Upsilon = 1.95$ for Monogem
- And we calculate a best fitting $\eta W_0 = 2 \times 10^{49}$ for Geminga and $\eta W_0 = 8.6 \times 10^{48}$ for Monogem
- For both pulsars we assume $E_{cut} = 2 \text{ TeV}$, though this parameter is relatively unimportant so long as $E_{cut} > AMS$ energy threshold

Diffusion Calculation of Pulsar Anisotropies

$$\Delta = \frac{N_f - N_b}{N_f + N_b}$$

$\Delta = \frac{3}{2c} \frac{d}{T} \frac{(1-\delta)E/E_{\text{loss}}}{1-(1-E/E_{\text{loss}})^{1-\delta}} \frac{N_{\text{psr}}(E)}{N_{\text{tot}}(E)}$

• The anisotropy , Δ , can then be calculated as above. δ is the index of the diffusion coefficient, d is the distance to the candidate pulsar, and T the time from the electron injection, E_{loss} is the energy loss time, and N_{psr}/N_{tot} gives the fraction of electrons stemming from the pulsar

Diffusion Calculation of Pulsar Anisotropies



• If I want a 2σ detection of anisotropy, I need the following to hold

Galprop Diffusion Model

 In our work, we take the best fitting Bayesian model for cosmic-ray propagation (Trotta et al. 2012)

- Specifically, we adopt:
 - $D_0 = 8.32 \times 10^{28} \text{ cm}^2 \text{ s}^{-1}$
 - δ=0.31



Anisotropies from Local Pulsars



 The anisotropy for various pulsar had been previously calculated by Profumo (2009), who found that anisotropies from several nearby pulsars would be detectable by the Fermi-LAT

Anisotropies from Local Pulsars



However, current Fermi-LAT (and AMS-02) limits fail to rule out pulsar signals by approximately an order of magnitude

ACTs

Atmospheric Cherenkov Telescopes have a extraordinarily large effective area, which is the key component in determining any electron anisotropy



Fermi-LAT

Effective Area ~ 1 m² Angular Acceptance ~ 2 sr Total Observation Time ~ 5 yr

Effective Acceptance ~ $3.2 \times 10^8 \text{ m}^2 \text{ sr s}$

H.E.S.S.

Effective Area ~ 5 x 10⁴ m² Angular Acceptance ~ 0.002 sr Total Observation Time ~ 5000h

Effective Acceptance ~ $1.8 \times 10^9 \text{ m}^2 \text{ sr s}$

Detection of Electron Showers with ACTs

- Electron Shower Proceeds Almost Identically to a Gamma-Ray Shower -- but electrons much more prevalent
- H.E.S.S. can accurately determine the electron spectrum at energies up to nearly 10 TeV



Aharonian et al. (2009)

Detection of Electron Showers with ACTs

- Electron Shower Proceeds Almost Identically to a Gamma-Ray Shower -- but electrons much more prevalent
- H.E.S.S. can accurately determine the electron spectrum at energies up to nearly 10 TeV



Errors from Hadronic Rejection

• Biggest systematic error stems from proton mis-identification.

Proton flux ~ 10,000 x the Electron Flux

 Fortunately, the showers from proton interactions are hadronic, and not electromagnetic, allows ACTs to distinguish between proton and electron events

Errors from Hadronic Rejection



- The parameter *ς* has been created in order to calculate the "electron-ness" of the shower, with 0 < *ς* < 1 providing the confidence that the shower is electromagnetic
- At high values of ς electrons can become dominant, or at least a large portion of the signal

In Anisotropy Searches, These Errors are Statistical!

 Instead of asking the question "what is the anisotropy of the electron spectrum observed by an ACT" -- we ask "what is the anisotropy of the total cosmic-ray spectrum observed by an ACT"

 Protons (as well as electrons that do not stem from the pulsar) are known to be highly isotropized

• We can still make a cut (on ς) so that cosmic-ray electrons produce a dominant portion of the total signal

 To translate this back into a measurement of the total electron anisotropy, we must include the systematic errors from proton misidentification, but we can detect a signal without systematic errors

$$N_{tot} = (N_{psr} + N_{\gamma}) + (N_{e,iso} + N_p)$$

In Anisotropy Searches, These Errors are Statistical!

• Example: With a cut of $\varsigma > 0.9$, H.E.S.S. identified 2600 electrons, and 2470 protons in 239h of livetime

This implies the observation of 54400 electrons and 52100 protons with 5000h livetime

Thus, we only need a pulsar to produce 460 more forward electrons compared to backwards electrons (for a 2σ) detection-- which means a single pulsar producing 100% of the total signal with a 0.5% anisotropy

Limits on Anisotropies with H.E.S.S.

• The limits from H.E.S.S. are superior to those from the Fermi-LAT and AMS-02 by more than an order of magnitude, and run to significantly higher energies

 Current H.E.S.S. data may be sufficient to detect anisotropies from Monogem, but not Geminga (due primarily to its greater age)



The Cherenkov Telescope Array



- Upcoming ACT (2017-2018) with a much larger effective area, and better hadronic rejection than H.E.S.S.
- In this paper, it is simply modeled as a machine with a 10x larger effective area, and a 2x better hadronic rejection

Limits with the Cherenkov Telescope Array

• CTA observations will be able to detect anisotropies which are an order of magnitude below current H.E.S.S. limits

 May be able to detect pulsars with fairly weak anisotropies (e.g. Geminga)



Uncertainties from Gamma-Rays

- Gamma-Rays are another possible source of error
 - Can't be separated from electrons, because both showers are electromagnetic

- Extragalactic Gamma-Ray Background is not particularly important
 - Highly subdominant (factor of 250)
 - Highly isotropic (will be a statistical background, like protons)

- Diffuse Galactic Gamma-Rays are important
 - Moderately subdominant (factor of 60 if $|b| > 5^\circ$)
 - .However, anisotropies can be order 1

Comparison with the Fermi-LAT Diffuse Emission

- However, the Fermi-LAT can detect gamma-rays at energies ~500 GeV, and is able to differentiate gamma-rays and electrons
- A Template Analysis which removes the component correlating to the Fermi-LAT diffuse gamma-ray sky will remove this contamination





Conclusions

- Pulsars remain the most reasonable mechanism for producing the primary positron injection spectrum observed by PAMELA, Fermi-LAT and AMS-02
- Models show that the e⁺e⁻ observed at the solar position may be dominated by a few, nearby pulsar sources

- These pulsars may have an appreciable anisotropy though far below the current limits set by the Fermi-LAT and AMS-02
- The large effective area of ACTs makes them optimal instruments for such a study
- Current ACT data would likely be able to detect anisotropies from Monogem, the CTA would be necessary to detect anisotropies from Geminga